

Detailed Course Description - Course Plan Development and Updating Procedures/ Mathematics Department	QF01/0408-3.0E
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Faculty	Faculty of Science and Information Technology	Department	Mathematics
Course number	0101323	Course title	Abstract Algebra (1)
Number of credit hours	3	Pre-requisite/co-requisite	Number Theory 0101212

<p>Brief course description</p> <p>Groups and Subgroups, Cyclic Groups, Permutation Groups, Homomorphisms Of Groups, Isomorphism's Of Groups, Direct Product Of Groups, Cosets and LaGrange's Theorem, Normal Subgroups and Factor Groups, The First Isomorphism Theorem.</p>
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Course goals and learning outcomes	
Goal 1	To provide students with a good understanding of the theory of modern algebra and to introduce the basic concepts of abstract algebra.
Learning outcomes	<p>1.1 Students will have a working knowledge of important mathematical concepts in abstract algebra such as definition of a group, order of a finite group and order of an element.</p> <p>1.2 Students will be knowledgeable of different types of subgroups such as normal subgroups, cyclic subgroups and understand the structure and characteristics of these subgroups.</p> <p>1.3 give examples of equivalence relations, groups, subgroups, cyclic groups, group homomorphisms and isomorphisms</p> <p>1.4 Students will be introduced to and have knowledge of many mathematical concepts studied in abstract mathematics such as permutation groups, factor groups and Abelian groups.</p>
Goal 2	To help students develop the ability to prove theorems and solve problems.
Learning outcomes	<p>2.1 Students will see and understand the connection and transition between previously studied mathematics and more advanced mathematics. The students will actively participate in the transition of important concepts such homomorphisms & isomorphisms from discrete mathematics to advanced abstract mathematics.</p> <p>2.2 Students will gain experience and confidence in proving theorems.</p> <p>2.3 A blended teaching method will be used requiring the students to prove theorems give the student the experience, knowledge, and confidence to move forward in the study of mathematics.</p> <p>2.4 Construct correct logical arguments and understand and critique the reasoning of others.</p>

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Textbook	Contemporary Abstract Algebra. By: Joseph A. Gallian
Supplementary references	<ol style="list-style-type: none"> 1) Abstract Algebra. By: I. N. Herstein 2) Abstract Algebra. By: Abraham P. Hilman and Gerald L. Alexan 3) Abstract Algebra. By: A. P. Hillman and G. W. Alexanderson 4) Groups, rings and field. By: T. S Blyth and E. F. Robertson.

Course timeline				
Week	Number of hours	Course topics	Pages (textbook)	Notes
01	1 1 1	Groups: definition and examples.	42 – 46	
02	1 1 1	The set $z_n = \{0,1,\dots,n-1\}$ is a group under addition. The set R^n is a group under component wise addition.	46 – 50	
03	1 1 1	Uniqueness of the identity in a group and the cancellation law. The order of a group, the order of an element in a group.	50 – 56	
04	1 1 1	Definition of a subgroup, one-step subgroup test, two step subgroup test and finite subgroup test.	59 – 64	
05	1 1 1	$\langle a \rangle = \{ a^n : n \text{ in } z \}$, a in G , is a subgroup of a group G . $z(G)$ and $c(a)$ are also subgroups of G .	65 – 71	
06	1 1 1	Cyclic groups, the criterion for $a^i = a^j$, the generators of cyclic groups. First Exam 20%	73 – 85	
07	1 1 1	The permutation groups, cycle notation with the properties of permutations, product of disjoint cycles.	94 – 103	
08	1 1 1	Even and odd permutations. Even permutations form a subgroup of the group of permutations.	104 – 116	
09	1 1 1	Isomorphisms, def. and examples. Properties of isomorphisms.	120 – 134	
10	1 1 1	Cosets and Lagrange's theorem, properties of cosets. If G is finite group then the order of any subgroup divide the order of the group.	137 – 141	
11	1 1 1	Any group of prime order is cyclic. External direct product of groups. Classification of groups of order 4.	141 – 152	
12	1 1	Normal subgroups and factor groups. Normal subgroup test.	177 - 183	

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	1	Second Exam 20%		
13	1 1 1	Any subgroup of abelian group is normal. Let G be a finite group of order n, p prime divides n then G has an element of order p.	183 – 195	
14	1 1 1	Group homomorphism, def. examples. Kernel of a homomorphism. The first isomorphism theorem.	199 – 206	
15	1 1 1	Rings, subrings, integral domain, factor rings and ideals.	236 – 243	
16	1 1 1	Final Exam 50%	-	

Theoretical course evaluation methods and weight	Participation = 10% First exam 20% Second exam 20% Final exam 50%	Practical (clinical) course evaluation methods	Semester students' work = 50% (Reports, research, quizzes, etc.) Final exam = 50%
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Approved by head of department		Date of approval	
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Extra information (to be updated every semester by corresponding faculty member)

Name of teacher	Hamza Alzaareer	Office Number	9130
Phone number (extension)	423	Email	h.alzaareer@zuj.edu.jo
Office hours			