

Detailed Course Description - Course Plan Development and Updating Procedures/ Computer Information Systems Department	QF01/0408-3.0E
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Faculty	Faculty of Science and Information Technology	Department	Computer Information Systems
Course Number	0113111	Course Title	Discrete Mathematics
Number of Credit Hours	3	Pre-Requisite/Co-Requisite	Introduction to Information Technology

Brief Course Description:

This course provides The following topics:

Numbers and exponents, Errors (absolute and relative), Propositions, Predicates and Quantifiers, Quantifiers and logical operators, Logical Inference, Methods of Proof, Sets, Relations and Functions.

Course Goals and Learning Outcomes	
Goal 1	Learning about errors when representing real numbers in computers.
Learning Outcomes	1.2 Distinguish between numbers in mathematics and computer. 1.2 Find the absolute and relative errors for real numbers in computer.
Goal 2	Understanding propositional logic and predicate logic.
Learning Outcomes	2.1 Simplify the propositions. 2.2 Convert predicates into propositions using quantification methods
Goal 3	Recognizing distribution of quantifiers over logical operators.
Learning Outcomes	3.1 Understand the distribution of quantifiers over logical operators.
Goal 4	Knowing rules of logical inference.
Learning Outcomes	4.1 Use logical inference to prove the validity of arguments.
Goal 5	Recognizing methods of proof.
Learning Outcomes	5.1 Understand and use different methods of proof.
Goal 6	Providing knowledge of sets, relations, and functions.
Learning Outcomes	6.1 Understand different types of functions. 6.2 Understand set theory and Cartesian product. 6.3 Represent set operations in computer.
Textbook	1. James L. Hein , "Discrete Structures, Logic, and Computability", 4 th Edition, Jones and Bartlett learning, 2017.
Supplementary References	1. Oscar Levine , "Discrete Mathematics: an open introduction", 2 nd edition, Oscar Levine, 2016. 2. Liben-Nowell, D. "Discrete Mathematics for Computer Science Preliminary Edition ", 1st edition, John Wiley.2015. 3. Kenneth H. Rosen , "Discrete Mathematics and its Applications", Seventh edition, McGraw-Hill , 2012.

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Course Timeline				
Week	Number of Hours	Course Topics	Pages (Textbook)	Notes
01	1 1 1	Numbers and Exponents: integer numbers in mathematics and in computer, real numbers in mathematics and in computer, exponents, properties of exponents, and metric system.	1-5	
02	1 1 1	Error: normalized exponential notation of numbers, (mantissa and exponent parts), precision, magnitude, absolute error (with rounding and truncating), and relative error (with rounding and truncating).	5-10	
03	1 1 1	Propositions: definition of proposition and assertion, proposition variables, truth tables for logical operators (NOT, AND, OR, Exclusive-OR, implies, equivalence, NAND, NOR). Types of propositions (Tautology, contingency and contradiction).	10-35	
04	1 1 1	Logical identities, simplifying propositions using logical identities. Translating from English into Logical Expression. Translating from Logical Expression into English.	10-35	
05	1 1 1	Predicates: universe of discourse, the quantifiers (universal, existential, and unique).	36-69	
06	1 1 1	More than one quantifier applied to predicates (Nested Quantifiers). Review of previous chapters. First Exam 20%	36-69	
07	1 1 1	Quantifiers and Logical Operators: Translating from English into Logical notation. Translating from Logical notation into English. The negation of quantifiers.	36-69	
08	1 1 1	Distribution of quantifiers over logical operators and proofs.	36-69	
09	1 1 1	Logical Inference: Rules of inference, fallacious arguments, additional rules of inference.	69-79	

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10	1 1 1	Methods of Proof: Techniques of proof for implication (vacuous, trivial, direct, and indirect proofs), proof by contradiction, proof by Counter Example.	80-108	
11	1 1 1	Proof by Cases, proof by Equivalence, Constructive Existence, constructive and non-constructive proof.	80-108	
12	1 1 1	Sets: Set Builder Notation, No. of Elements, Subsets, Proper Subsets, power set, Cartesian products, set with quantifiers.	115-126	
13	1 1 1	Set Operations: Set identities, generalization, and computer representation of sets. Review of previous chapters.	127-137	
Second Exam 20%				
14	1 1 1	Relations: Definition and their properties (types of relations).	573-583	
15	1 1 1	Functions: Definition and types of function (one to one, onto and inverse function).	138-156	
16	1	Final Exam 50%		

Theoretical Course Evaluation Methods and Weight	Participation = 10% First Exam 20% Second Exam 20% Final Exam 50%	Practical (Clinical) Course Evaluation Methods	Semester Students' Work = 50% (Reports, Research, Quizzes, Etc.) Final Exam = 50%
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Approved by Head of Department		Date of Approval	
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Extra information (to be updated every semester by corresponding faculty member)

Name Of Teacher		Office Number	
Phone Number (Extension)		Email	_____@zuj.edu.jo
Office Hours			